

## Deciphering the microscopic phenomenon behind contact resistances in interlayer functionalized electrodes and organic semiconductors

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Interlayers are known to enhance the performance of organic devices by reducing contact resistance, however, the details of the mechanism are uncertain. Models have correlated properties of interlayers to their extent of reduction of contact resistance, but a universal parameter correlating the microscopic phenomenon to device characteristics is yet to be established. Here, we demonstrate that the energy-level modulation at the interface of interlayer functionalized electrode and organic semiconductor, combined with the charge transfer integral between them, determines the extent of the reduction of contact resistance. Moreover, the rate of charge transfer calculated from these quantities is demonstrated to be a universal parameter predicting the characteristics of devices with functionalized electrodes, regardless of the nature of the semiconductor (*p*- or *n*-type). These observations explain the mechanism of interlayers and provide a computational model capable of selecting interlayers leading to high-performing devices.

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### I. INTRODUCTION

Optoelectronic devices that employ organic semiconductors (OSC) as an active layer, such as in organic light-emitting devices, organic solar cells, or organic field-effect transistors (OFET), have led to the development of several flexible, conformable, and lightweight systems [1–3]. Organic devices comprise *p*-type or *n*-type OSC, depending on whether the active layer is more efficient in transporting holes or electrons [4–6]. As OSC's intrinsic charge carrier density is low, the devices rely on photogenerated or injected charge carriers for operation. Charge carrier injection is carried out from the device electrodes by injecting electrons to *n*-type OSC or accepting electrons from *p*-type OSC thereby injecting holes. The injection characteristics are considered to be chiefly dependent on the work function of the electrode, as the electron (hole) injection is more feasible from electrodes of low (high) work function [7,8]. However, due to the complex interactions of inorganic and organic materials, interface formation between the electrode and OSC is accompanied by a realignment of the energy levels that setup an energy barrier to charge injection [9,10]. These include pillow effects, image charges, and induced interfacial density of states. Due to these, the final energy levels, and hence the energy barrier, cannot be predicted based on the individual energy levels of OSC and electrodes [11,12]. The consequent resistance at the interface is known as contact resistance ( $R_C$ ), which acts in series to the resistance of the OSC, thereby hindering the device current and increasing the operating voltage [13].

Suitable interlayers have been known to reduce  $R_C$  by modulating the interface so that the energy barrier to injection is lowered [14–17]. However, the mechanism of interlayers at

contact interfaces in organic devices still needs to be established. The reduction in  $R_C$  has been attributed to the shift in the work function of the electrode surface or alterations in energy-level alignment brought about by the interlayer [18]. Efficient interlayers are considered to modulate the energy levels such that the magnitude of the interface barrier is reduced. It has been shown that physical properties such as the polarity of the interlayer, work function shift of the electrode surface, and orbital interactions at the interface play a crucial role in the reduction of  $R_C$  by an interlayer [19–21]. Further, interlayers are known to reduce the effects of image charges and broaden the density of states at the interface [22,23]. However, a general mechanism correlating the microscopic phenomenon related to charge injection with device performance has not been developed. Thorough models that encompass all effects contributing to contact resistance have not been developed. Such a model would be based on microscopic interface processes determined by molecular-scale interactions, which govern the interface properties, and hence, charge transfer. The lack of a universal model correlating molecular properties with device behavior and establishing guidelines for screening interlayer materials has hindered the widespread use of interlayers to enhance the performance of organic devices.

First-principles computations have been carried out to explore the factors determining the reduction of  $R_C$  by functionalized interfaces. Studies showed that the dipole and orientation of molecules comprising the interlayer determined its contribution in reducing  $R_C$ , as well as properties such as length and orbital positions [24–29]. We showed previously that electronic coupling at the interface, in the form of the charge transfer integral among frontier orbitals, along with interface polarity, decides the extent of  $R_C$  reduction by the interlayer [30]. However, *ab initio* computations capturing the factors essential to the charge injection process have not been performed. Density functional theory (DFT)-based

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calculations were previously used to simulate interfaces of organic molecules with inorganic films [31]. The projector operator diabatic (POD) method based on DFT was developed to simulate the effects of interface interactions on the physical properties of its components [32,33]. POD calculations have enabled the understanding of the effect of these properties on charge transfer across interfaces [34].

In this work, we simulate the interface of an interlayer functionalized electrode (IFE) with OSC to study the process of charge injection from IFE to OSC. Electron injection to  $n$ -type OSC and hole injection to  $p$ -type OSCs are considered. The results of simulation are compared with measured  $R_C$  and mobility of organic field effect transistors (OFET) with Au electrodes functionalized with different molecules forming a self-assembled monolayer (SAM) as reported by the authors of Ref. [35]. The factors determining the charge transfer process at the interface are identified, and the corresponding quantities are computed. The energy levels of the entities comprising the interface and parameters representing their electronic coupling were computed. Based on these computed parameters, the charge injection rate was calculated per the Marcus-Hush equation [36,37] and correlated with device  $R_C$ . We show that the relative energetic positions of the orbitals and states participating in charge injection and the extent of their interactions as computed by the values of the charge transfer integral determine the charge injection and are correlated with contact resistance. We show that a function of these parameters comprehensively captures the effects of microscopic parameters on device behavior. Here, the function is represented by the charge transfer rate calculated as per the Marcus-Hush equation. The rate thus calculated is presented as a universal parameter determining the extent of the reduction of resistance by an interlayer in organic devices, regardless of the type or structure of the OSC. The comprehensive computational model developed here both provides insight into the mechanisms underlying charge injection in organic systems and provides a parameter for evaluating interlayer performance for a device with universal applicability.

## II. METHODS

Electronic structure calculations were based on density functional theory [38,39]. Stacks were setup with the interlayer functionalized electrode (IFE) represented by molecules forming a self-assembled monolayer (SAM) bonded to a slab of Au (the electrode was simulated as four-layered slabs), while an organic semiconductor (OSC) molecule was placed on top. The configuration of the entire stack was optimized; the last two layers of Au were held frozen while the remaining atoms were allowed to be moved. Freezing the last two layers allowed it to represent the bulk of the electrode, which did not interact with the interlayer; meanwhile, the mobile surface layers were free to interact with SAM and OSC molecules. The simulation stack and DFT parameters were based on Ref. [32]. Calculations were carried out using the QUICKSTEP module provided by the CP2K program [40,41]. Geometry optimization was performed by applying the threshold conditions on the gradient of the electronic wave functions and the force on the nuclei with convergence criteria of  $10^{-7}$  and  $10^{-2}$  a.u., respectively. This was followed

by calculations based on the POD method, with the OSC molecule defined as a single block and the IFE as another block. Exchange-correlation potentials were treated within the generalized gradient approximation (GGA) employing the Perdew-Burke-Ernzerhof (PBE) functional [42]. The energy cutoff was set to 415 Ry for the auxiliary plane wave expansion of the charge density. Valence electrons were modeled explicitly, whereas core electrons were treated with norm-conserving Goedecker-Teter-Hutter (GTH) pseudopotentials [43,44]. The basis set TZ-GTH was employed for calculating systems with an Au electrode, as it has been well optimized for organic-Au systems [43,44]. For the remaining elements, a triple- $\zeta$  valence plus polarization (TZVP) basis set was adopted to expand the wave functions [45,46]. A Fermi-Dirac distribution smearing with electronic temperature 298.15 K was employed, involving metal surface calculations to preserve the fractional occupation of states near the Fermi energy. Properties of the blocks, such as energy levels and the electronic coupling among all states of donor and acceptor, were obtained by invoking the ET\_COUPLING module in the PROPERTIES section of CP2K, resulting in the energy level diagram of donor, acceptor, and complex, as well as the electronic coupling between orbitals of donor and states of the acceptor. The reorganization energy was calculated by the four-point method [47]. For each OSC, the ground-state geometry of neutral and charged monomers was optimized, followed by energy calculations for charged and neutral monomers in neutral and charged geometry, respectively. Separate calculations were performed using the package GAUSSIAN09 [48], with HF using a basis set 6-31G(d,p) [49–53].

## III. RESULTS

A slice of the OFET contact interface was simulated as a stack consisting of a slab of Au electrode, a molecule of the interlayer SAM, and an OSC molecule as shown in Fig. S1 of the Supplemental Material (SM) [54]. The IFE consists of a SAM molecule bonded via the thiol group to the Au surface. The OSC molecule was positioned on top of IFE, and the complete stack was optimized for each IFE-OSC system. We previously showed this stack to be a computationally efficient yet methodically sufficient configuration to represent the contact interface in the measured device [30]. We deliberately chose systems to study for which we obtained contact resistance values from a single source. Various interlayers employed in Ref. [35] were simulated with the SAM of molecules whose structures and names are given in Fig. 1. Several aliphatic as well as aromatic molecules with diverse functional groups are included. The  $n$ -type OSC known as N1400, and  $p$ -type OSC TIPS-pentacene, as well as TFB, were considered, as the  $R_C$  of their respective OFETs were reported by Boudinet *et al.* [35]. While N1400 and TIPS-pentacene are molecular semiconductors, TFB is a polymer. The details of the fabrication and measurement of the OFETs are given in Ref. [35]. Molecular structures of all OSCs are displayed in Fig. 1. Stacks with N1400 will be henceforth referred to by the prefix  $n$ , with TFB as  $f$ , and with TIPS-pentacene as  $t$ . The name of the SAM molecule will follow the prefix; e.g., the stack with Au functionalized by the MeTP interlayer and with N1400 as OSC will be referred to as  $n$ -MeTP. The stack was optimized

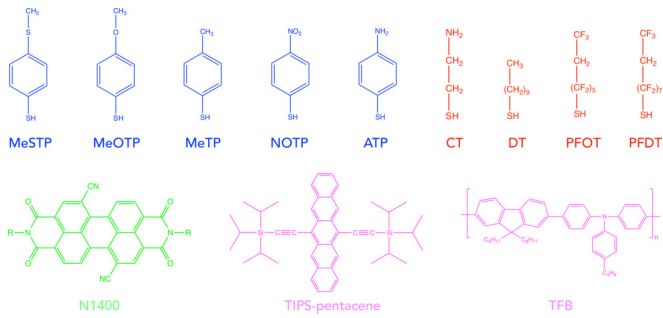


FIG. 1. Schematic of molecular structures of interlayers simulated here, in the form of aromatic or aliphatic self-assembled monolayers, as well as of semiconductors *n*-type N1400, and *p*-type TIPS pentacene and TFB.

using DFT-based methods. Calculations based on the POD method were performed, which allowed the stack to be segregated into donor and acceptor; here, they are IFE and OSC. Values of the respective density of states and energy levels of IFE and OSC were obtained, and the charge transfer integral between states on IFE and orbitals of OSC participating in charge transport was computed. Based on these values, the charge transfer rate across the interface was calculated per the Marcus-Hush equation. As charge injection depends on the energy levels and occupation of electrons, the density of states on IFE and OSC were computed. Energy levels

available on IFE and OSC were calculated by first principles by employing the POD method. Figure 2 shows the energy levels at which states are available on either IFE or OSC. A particular energy level on IFE may have *n*-degenerate states. Figures 2(a) to 2(c) correspond to stacks with N1400 and IFE with interlayers as Fig. 2(a) PFDT (*n*-PFDT), Fig. 2(b) CT (*n*-CT), and Fig. 2(c) MeTP (*n*-MeTP). These stacks correspond to the highest, medium, and lowest  $R_C$  for the respective OFETs. Energy-level diagrams for the remaining stacks with N1400 are shown in Fig. S2 of the SM. Similarly, Figs. 2(d) to 2(f) exhibit a density of states for stacks with TFB, with interlayers in Fig. 2(d) MeOTP (*f*-MeOTP), Fig. 2(e) ATP (*f*-ATP), and Fig. 2(f) PFOT (*f*-PFOT), corresponding to the highest, medium, and lowest  $R_C$  for the respective OFETs. The energy-level diagrams for the remaining stacks with TFB are displayed in Fig. S3 of the SM. Further, Figures 2(g) to 2(i) exhibit the density of states for stacks with TIPS-pentacene, with interlayers in Fig. 2(g) DT (*t*-DT), Fig. 2(h) NOTP (*t*-NOTP), and Fig. 2(i) PFDT (*t*-PFDT), corresponding to the highest, medium, and lowest  $R_C$  for the respective OFETs. The energy-level diagrams for the remaining stacks with TIPS-pentacene are displayed in Fig. S4 of the SM. In all plots, the magenta lines mark the molecular orbitals on OSC at the corresponding energy level given on the y-axis, and similarly, the cyan lines mark the states on IFE. The highest-occupied molecular orbital (HOMO) and lowest-unoccupied molecular orbital (LUMO) of OSC are marked by blue lines. For IFE, energy bands of the Au slab are modified from the

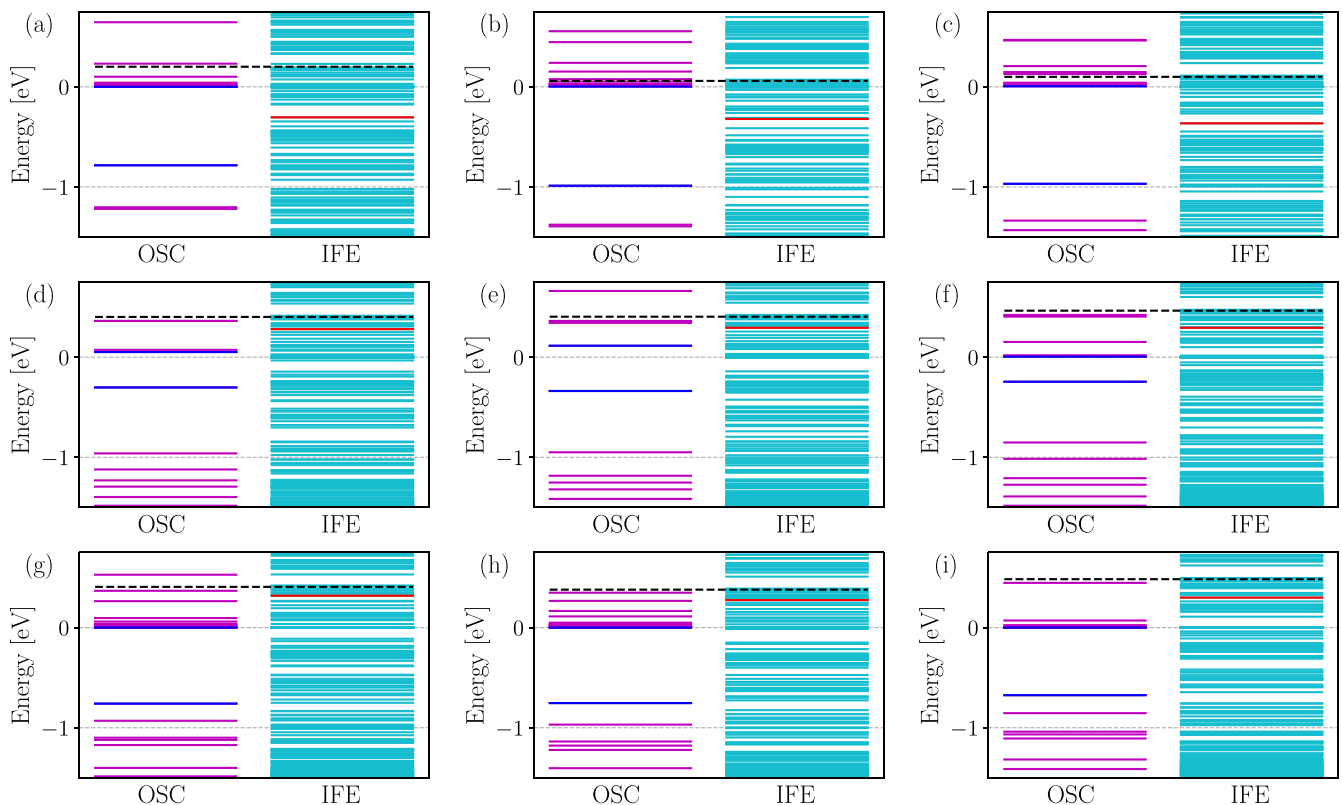


FIG. 2. Energy level diagram of OSC-IFE interfaces for (a) *n*-PFDT, (b) *n*-CT, (c) *n*-MeTP, (d) *f*-MeOTP, (e) *f*-ATP, (f) *f*-PFOT, (g) *t*-DT, (h) *t*-NOTP, and (i) *t*-PFDT. Magenta lines represent the energy levels of orbitals of OSC, while cyan lines are the states of IFE. Blue lines mark the HOMO and LUMO orbitals, while red lines the VBM for systems with *n*-type OSC in (a)–(c) and CBM for systems with *p*-type OSC in (d)–(i). The black dotted lines represent the Fermi level.

pristine slab due to functionalization with the SAM molecule. A red line marks the conduction band minimum (CBM) of IFE in stacks with *p*-type OSCs or a valance band maximum (VBM) of IFE in stacks with *n*-type OSC. The black dotted lines represent the Fermi level for the stack.

Charge injection involves the transfer of electrons from occupied states of IFE to LUMO of OSC in the case of N1400. In contrast, hole injection to TFB or TIPS-pentacene involves the transfer of electrons from the HOMO of OSC to unoccupied states in IFE. For stacks with N1400, VBM represents the energy level below which states are occupied, from where electrons may be injected. The energy difference ( $\Delta E$ ) between occupied states and LUMO acts as an energy barrier that must be overcome for electron injection; the minimum is between the VBM of IFE and the LUMO of OSC. It is apparent that the energy-level alignment depends on the interlayer present at the interface. The interlayer modulates the energy level and generates realignment during interface formation based on the molecular interactions between IFE and OSC molecules driven by the microscopic interactions at the interface. The IFE-OSC system with low  $\Delta E$  tends to favor charge transfer.  $\Delta E$  between VBM and LUMO of N1400 is 0.31 eV for *n*-PFDT, while it is 0.32 eV for *n*-CT, and is 0.37 eV for *n*-MeTP. For TFB and TIPS-pentacene, all states above CBM are partially occupied or unoccupied, to where electrons from the HOMO of the OSC may be transferred. Hence  $\Delta E$  between the HOMO of OSC and the unoccupied states of IFE acts as an energy barrier that must be overcome for hole injection, the minimum of which is between the HOMO of OSC and the CBM of IFE. For stacks with TFB,  $\Delta E$  for *f*-MeOTP is 0.58 eV while it is 0.64 eV for *f*-ATP, and 0.53 eV for *f*-PFOT. For TIPS-pentacene stacks,  $\Delta E$  is 1.08 eV for *t*-DT, 1.03 eV for *t*-NOTP, and 0.97 eV for *t*-PFDT.

For stacks with either OSC, as  $\Delta E$  acts as an energy barrier for the injection of charge, a lower value of  $\Delta E$  indicates a higher feasibility of electron transfer across the interface. Therefore, the reduction in  $R_C$  of a device is expected to be the greatest for the interlayer, leading to the lowest  $\Delta E$  between relevant states at the interface. However, the values of  $\Delta E$  are not entirely correlated with device  $R_C$  for stacks with any OSCs. The value of minimum  $\Delta E$  for stacks with *n*-MeTP is higher than that of *n*-CT despite the  $R_C$  of the corresponding OFET with *n*-MeTP being lower. Similarly, the minimum  $\Delta E$  of *f*-ATP is higher than that of *f*-MeOTP despite the  $R_C$  of the corresponding OFET with the *f*-ATP being lower. This indicates that the presence of interlayer modulates the energy levels at the interface; however,  $\Delta E$  does not solely determine the interfacial resistance. Hence, other factors must be taken into account to evaluate the effectiveness of interlayer.

As charge transfer involves states of IFE and orbitals of OSC, the extent of interactions among them determine the charge transfer aside from respective energy levels. Accordingly, the charge transfer integral between all states of IFE with relevant frontier orbitals of OSC was calculated. Charge transfer integral is a measure of the strength of electronic coupling and, hence, of the feasibility of charge transfer between the participating entities.  $J$  is the charge transfer integral calculated for the orbital of the OSC molecule with states of the microscopic slice of the interface, thus representing the

increased electronic coupling brought about by the interlayer molecule. It was shown previously that the presence of interlayers affects the delocalization of orbitals and interface, and hence, the extent of overlap possible between participating entities.  $J$  measures the effect of this on charge transfer. Figure 3 shows charge transfer integral values between frontier orbitals of OSC and states on IFE. For all plots, the *x*-axis contains the  $\Delta E$  between states on respective IFE, and either LUMO of N1400 or HOMO of TIPS-pentacene or TFB, while the *y*-axis contains the corresponding log of values of average charge transfer integral ( $J_E$ ) between all states at that energy level and the frontier orbital of OSC. Figures 3(a) to 3(c) show the electronic coupling between states on IFE having PFDT, CT, or MeTP molecules, respectively, and LUMO of N1400.  $J_E$  between LUMO of N1400 and the VBM of IFE is  $2.89 \times 10^{-7}$  eV for *n*-PFDT, while it is  $5.82 \times 10^{-5}$  eV for *n*-CT, and it is  $5.03 \times 10^{-5}$  eV for *n*-MeTP. Similarly, Figures 3(d) to 3(f) show the electronic coupling between states on IFE having MeOTP, ATP, or PFOT molecules, respectively, and HOMO of TFB. The value of  $J_E$  between CBM of IFE and HOMO of TFB is  $1.20 \times 10^{-4}$  eV for *f*-MeOTP, while it is  $1.06 \times 10^{-3}$  eV for *f*-ATP, and it is  $2.29 \times 10^{-3}$  eV for *f*-PFOT. Further, Figs. 3(g) to 3(i) show the electronic coupling between states on IFE having DT, NOTP, or PFDT molecules, respectively, and HOMO of TIPS-pentacene. The value of  $J_E$  between CBM of IFE and HOMO of TIPS-pentacene is  $7.94 \times 10^{-5}$  eV for *t*-DT, while it is  $9.90 \times 10^{-5}$  eV for *t*-NOTP and it is  $3.40 \times 10^{-7}$  eV for *t*-PFDT.  $J_E$  for remaining OSC-IFE interfaces are displayed in Figs. S5, S6, and S7 of the SM.

In some cases, the trends in  $\Delta E$  are offset by those of  $J_E$ . While  $\Delta E$  between LUMO of N1400 and VBM of IFE for *n*-PFDT was slightly lower than that of *n*-MeTP,  $J_E$  for *n*-PFDT is significantly lower, which indicates low feasibility of the electron injection from VBM of *n*-PFDT to LUMO of N1400. This low feasibility is reflected in the correspondingly measured  $R_C$ , which is higher for OFET with *n*-PFDT than with *n*-MeTP. Similarly, while  $\Delta E$  between HOMO of TFB and CBM of IFE is slightly lower for *f*-MeOTP than for *f*-ATP,  $J_E$  for *f*-MeOTP is significantly lower. Therefore, consolidating values of  $J_E$  along with  $\Delta E$  leads to a better understanding of the effect of the interlayer in reducing  $R_C$ . However, trends in  $J_E$  do not entirely correspond to measured  $R_C$  for all cases.  $J_E$  is significantly lower for *t*-PFDT than *t*-DT, while the  $R_C$  of the OFET with *t*-PFDT is lower than with *t*-DT. This is because states at other energy levels may participate in charge injection. It is apparent from Fig. 3 that for any given IFE-OSC system, states with similar  $\Delta E$  may have vastly different values of  $J_E$ . In such a case, a large  $J_E$  may allow charge transfer to or from a state with a slightly higher  $\Delta E$  to be highly feasible and increase the overall charge injection capacity of the given IFE. Hence, the combined  $\Delta E$  and  $J_E$  for frontier orbitals of the OSC and all relevant IFE states must be accounted for to predict the device  $R_C$ .

#### IV. DISCUSSION

$\Delta E$  and  $J$  vary with IFE-OSC combinations according to the modulation of interface properties brought about by the interlayer. These parameters represent the reduction in energy barrier and enhancement of electronic coupling at the



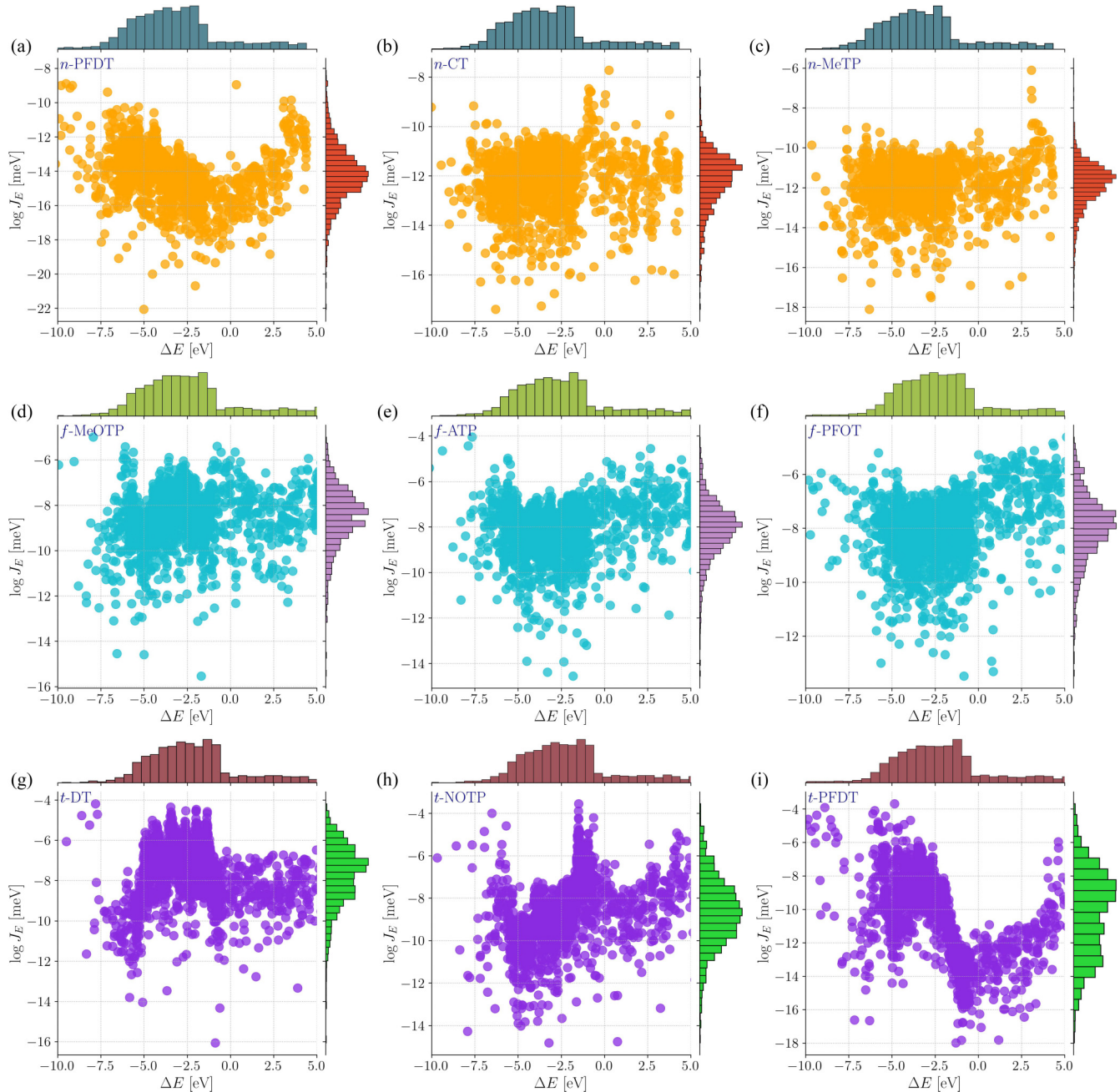


FIG. 3. Charge transfer integral values between LUMO of N1400 or HOMO of TIPS-pentacene or TFB with occupied or unoccupied states of IFE for (a) *n*-PFDT, (b) *n*-CT, (c) *n*-MeTP, (d) *f*-MeOTP, (e) *f*-ATP, (f) *f*-PFOT, (g) *t*-DT, (h) *t*-NOTP, and (i) *t*-PFDT. Plotted on *x*-axis is the difference in energy between the state and orbital, with the log of charge transfer integral between them on *y*-axis. The corresponding 1D histogram for each quantity is shown on the axes.

interface, which would increase the feasibility of charge transfer. However, individually, these parameters do not correlate with device resistance. These parameters cannot be considered individually, as they combine to determine the charge transfer in complex ways. Combining these factors into a function that includes their effects for all participating states enables the calculation of a parameter that correlates directly with device characteristics. Therefore, a function that encompasses both  $\Delta E$  and  $J_E$  and evaluates multiple participating states will be able to predict the reduction in  $R_C$  brought about by the interlayer.

For this purpose, the rate of charge injection is calculated for all IFE-OSC systems. The charge transfer rate ( $k_{ET}$ ) between a system with multiple states and a localized orbital depends on  $J_E$  and  $\Delta E$  as per the Marcus-Hush equation given in Eq. (1) [36,37]

$$k_{ET} = \frac{2\pi}{\hbar} \int J_E^2(E) \frac{1}{1 + \exp\left(\frac{E - E_F}{kT}\right)} n(E) \frac{1}{\sqrt{4\pi\lambda kT}} \times \exp\left(-\frac{(\lambda - \Delta E + q\eta)^2}{4\lambda kT}\right) dE. \quad (1)$$

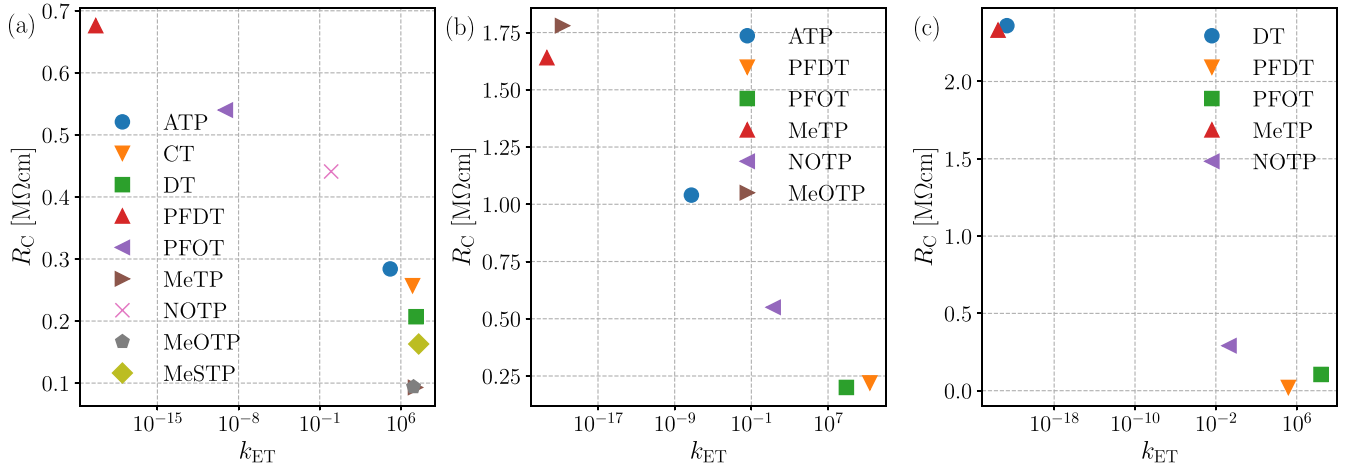


FIG. 4.  $k_{ET}$  calculated from parameters obtained by first principles, correlated with measured  $R_C$  of devices with (a) N1400, (b) TFB, and (c) TIPS-pentacene as OSC.

Here,  $E$  refers to the energy level with  $n$  available states on IFE,  $E_F$  is the Fermi level of the system, and  $\Delta E$  is the energy difference between states on IFE with respect to the relevant frontier orbital on OSC.  $\lambda$  is the reorganization energy of the OSC molecule, and  $\eta$  is the overpotential.  $\lambda$  is found to be 0.06 eV for N1400, 0.16 eV for TFB, and 0.13 eV for TIPS-pentacene. The function is integrated over all occupied states, which may transfer an electron to the LUMO of N1400 for  $n$ -stacks, or all unoccupied states, which may extract an electron from the HOMO of TFB or TIPS-pentacene for the  $p$ - or  $t$ -stacks. In the case of states with high  $\Delta E$  or low  $J_E$ , the value of the functions computes to be low and adds less to the final value of  $k_{ET}$ . As the dependence on  $\Delta E$  takes the form of an exponential, states in bands beyond the conduction (valence) band have insignificant function values. For states with similar values of  $\Delta E$ , the values of  $J_E$  determine the value of the function. Notably, our protocol involves uniform first-principles computations for all stacks. No material-specific parameters were specified for the different interfaces. The computational methods were constant for all cases. Computing the parameters representing the interface properties governing charge transport will always correlate with any contact resistance beyond all the systems demonstrated here. The physical processes that were simulated were constant for all cases, and their combined effect was shown to be crucial to charge transport at the interfaces. Figure 4 shows  $k_{ET}$  for all IFE-OSC systems correlated with the  $R_C$  measured for the respective device. The device  $R_C$  decreases with increasing value of  $k_{ET}$ , and its dependence on  $k_{ET}$  is apparent.

Here, we find that  $k_{ET}$  correlates with  $R_C$  of devices with modified electrodes. This is attributed to the completeness of the microscopic phenomenon covered in the calculation of  $k_{ET}$ .  $\Delta E$  and  $J_E$  are the key parameters that determine the charge transfer process for any contact interface. In the case of functionalized organic-inorganic interfaces, the Marcus-Hush equation provides a function of  $\Delta E$  and  $J_E$  that yields the rate and, accordingly, evaluates the effectiveness of the interlayer. Regardless of the trends in individual parameters  $J_E$ ,  $\Delta E$ , or  $n$ , trends in  $k_{ET}$  are in accordance with measured  $R_C$ .  $k_{ET}$  is

higher for  $f$ -PFDT as compared with  $f$ -MeOTP due to lower values of  $\Delta E$ .  $k_{ET}$  for  $t$ -DT is lower than  $t$ -PFOT, similarly,  $k_{ET}$  for  $n$ -PFDT is lower than for  $n$ -MeTP. In both these cases, while the values of  $\Delta E$  for both systems under comparison are similar, the values of  $J_E$  and  $n$  are markedly higher for  $t$ -PFOT as well as  $n$ -MeTP. In this way, the microscopic processes simulated here determine the contact resistance when combined in the form of the given function for  $k_{ET}$ . We find that the correlation between  $k_{ET}$  and  $R_C$  holds for all OSC regardless of its polarity or nature as a small molecule or polymer. Hence,  $k_{ET}$  is justified as a universal parameter to predict the extent of reduction of  $R_C$  by the interlayer.  $k_{ET}$  correlates strongly with the measured resistance at the interface in the form of  $R_C$  as the resistance to the charge transfer emerges from the microscopic interactions at the interface; these effects are measured in formulating  $k_{ET}$ . Further, we note that the mobility of the devices reported in Ref. [35] are also well correlated with  $k_{ET}$ , as shown in Fig. S8. This further indicates  $k_{ET}$  to be a suitable parameter for evaluating the interlayer for an organic device. Calculated rates for all systems and measured contact resistance and mobility values for all devices are given in Table S1 of the SM. Therefore, the values of  $k_{ET}$  can predict the extent of the reduction in  $R_C$  brought about by the interlayer at the given interface and the resulting device performance. Hence, calculating  $k_{ET}$  by the Marcus-Hush equation based on quantities obtained from first principles establishes a protocol for predicting the contact resistance for a given interface.

## V. CONCLUSION

DFT-based computations were performed on stacks representing contact interfaces of organic devices with functionalized electrodes to simulate the process of charge injection. Calculations according to the POD method led to values of parameters governing charge transfer from (to) occupied (unoccupied) states on IFE to (from) LUMO (HOMO) of OSC. It was shown that the energy difference between states participating in charge transfer and the electronic coupling between them are crucial parameters governing the charge

transfer process at the interface. It was found that trends in  $\Delta E$  and  $J_E$  were not sufficiently correlated with device properties individually. However, the charge transfer rate, a function of  $\Delta E$  and  $J_E$ , correlates well with the  $R_C$  of devices with functionalized electrodes for each OSC.  $k_{ET}$  captures the various physical effects at the interface that determine charge injection and, consequently, the contact resistance.  $k_{ET}$  can be calculated from the first principles for any contact interface, as demonstrated here for variations in OSC and IFE. In all cases, the correlation between  $R_C$  and  $k_{ET}$  holds. Therefore,  $k_{ET}$  is

a universal parameter correlating microscopic phenomenon with device behavior.

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